

Question	Answer
6.	Both pairs of opp. sides of $PQRS$ are \cong , so $PQRS$ is a \square . Since $PZ = QZ$ and $RZ = SZ$, it follows that $PR = QS$ by the Segment Addition Postulate. Thus $\overline{PR} \cong \overline{QS}$. So the diags. of $\square PQRS$ are \cong . The frame is a rect. because \square with diags. $\cong \rightarrow$ rect.
7.	valid
8.	Not valid; if one diag. of a \square bisects a pair of opp. \angle s, then the \square is a rhombus. To apply this thm., you need to know that $EFGH$ is a \square .
9.	square, rect., rhombus
10.	rhombus
14.	\square
16.	\square , rhombus
17.	B; possible answer: it is given that $ABCD$ is a \square . \overline{AC} and \overline{BD} are its diags. If diags. of a \square are \cong , you can conclude that the \square is a rect. There is not enough information to conclude that $ABCD$ is a square.
27.	Rhombus; since diags. bisect each other the quad. is a \square . Since the diags. are \perp ., the quad. is a rhombus.
29a.	slope of \overline{AB} = slope of \overline{CD} = $-\frac{1}{3}$; slope of \overline{AD} = slope of \overline{CB} = -3

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29b.	Slope of $\overline{AC} = -1$; slope of $\overline{BD} = 1$; the slopes are negative reciprocals of each other, so $\overline{AC} \perp \overline{BD}$.
29c.	$ABCD$ is a rhombus, since it is a \square and its diags. are \perp (\square with diags. $\perp \rightarrow$ rhombus).
35.	A \square is a rect. if and only if its diags. are \cong ; a \square is a rhombus if and only if its diags. are \perp ; no; possible answer: They are not converses. The conclusion of the conditional in rhombus \rightarrow each diag. bisects opp. \angle refers to both diags. of a \square . The hypothesis of the conditional in \square with diag. bisecting opp. $\angle \rightarrow$ rhombus refers to only 1 diag. of a \square .